

# Near-term quantum computing SW/HW co-design

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## Classical computing in 1950's

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Algorithms

Assembly language

Vacuum tubes, relay  
circuits

## Classical computing today

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Algorithms

High level language

Compiler & OS

Architecture

Gates, registers...

VLSI circuits

Semiconductor  
transistors

## Between now and future ...?

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Algorithms

High level language

Domain-  
specific  
Approach

Logic implementation

Scale too fast  
Manage complexity

Scale slowly  
Improve efficiency

# What about quantum computing?

Quantum computing  
now

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Near-term goal  
vs classical computing in 1950's

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Pro:

The

Sol

Better apps

User interface

ol system.

Con:

Err

Domain-specific  
Approach

always be there.

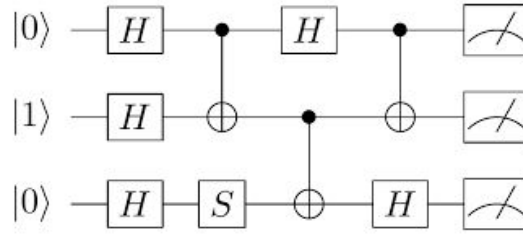
Better physical  
implementation

# Near-term applications

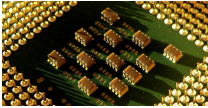
- Only needs noisy qubits and short circuit depth  
(Co-processing with classical computers)
- Easily-verifiable solution
- Compact problem representation
- High complexity computation
- Compact solution

# Supremacy test

Giving a random  
quantum circuit  
description



Question: Will the  
probability of getting  
some certain output  $x_i$   
string larger than half of  
the strings?



Quantum computer

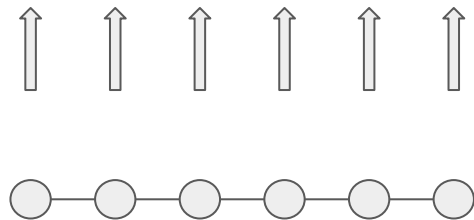


Classical computer

# Quantum chemistry

$$H = \sum_{i,\alpha} c_{\alpha}^i \sigma_{\alpha}^i + \sum_{ij\alpha\beta} c_{\alpha\beta}^{ij} \sigma_{\alpha}^i \sigma_{\beta}^j$$

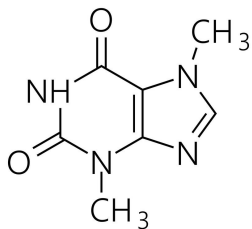
Example: 1-d Ising chain with nearest neighbor interaction



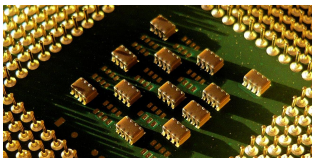
$$H = \begin{pmatrix} \epsilon & -t & 0 & 0 & \dots & 0 \\ -t & \epsilon & -t & 0 & \dots & 0 \\ 0 & -t & \epsilon & -t & \dots & 0 \\ 0 & 0 & -t & \epsilon & -t & \dots & 0 \\ \vdots & & & & & \ddots & \\ 0 & \dots & & & & \epsilon & -t \\ 0 & \dots & & & & -t & \epsilon \end{pmatrix}$$

What's the minimal E(ground energy) so that  $H\psi = E\psi$

# Quantum chemistry

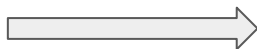


Chemistry  
systems



Qubits

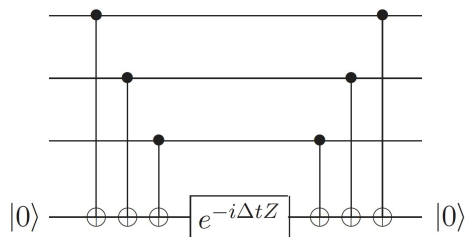
Digitize & Evolve



Ground energy  $E$



Quantum phase estimation

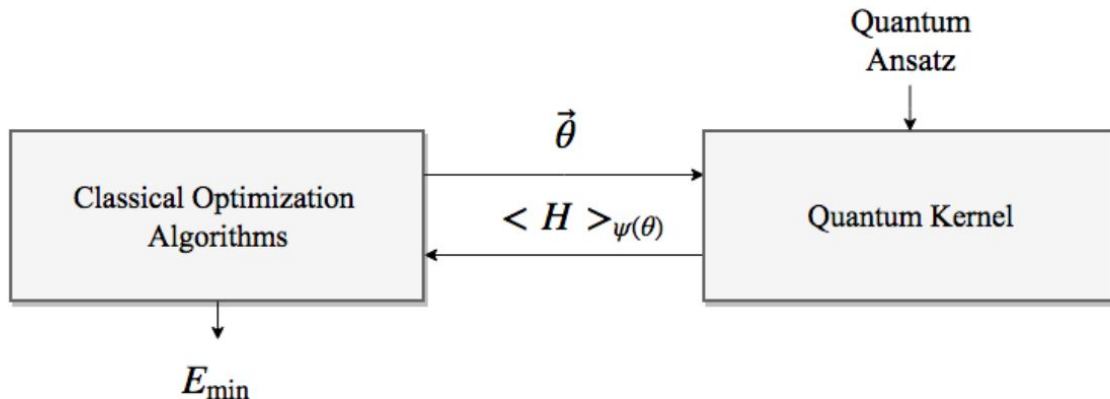


# Variational Quantum Eigensolver

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$$\langle \Psi_{\text{trial}} | H | \Psi_{\text{trial}} \rangle \geq E_0$$

$$\langle H \rangle = \sum_{i,\alpha} c_{\alpha}^i \langle \sigma_{\alpha}^i \rangle + \sum_{ij\alpha\beta} c_{\alpha\beta}^{ij} \langle \sigma_{\alpha}^i \sigma_{\beta}^j \rangle$$

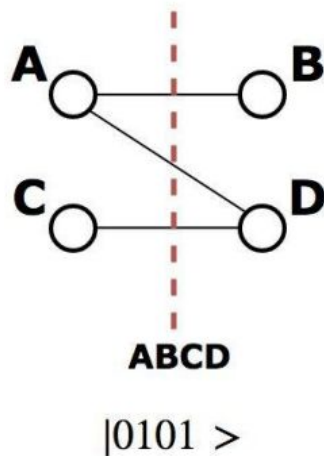




# Optimization

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QAOA Maxcut:



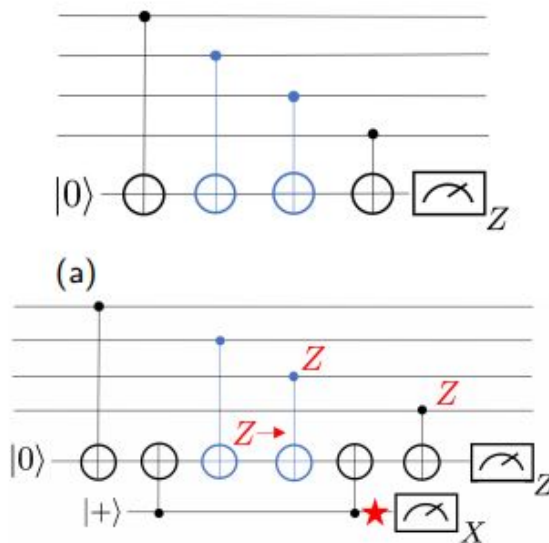
$$\sigma_z = \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$$

$$H_{ij} = \frac{1}{2}(I - \sigma_z^i \otimes \sigma_z^j)$$

# Demonstrate QEC

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Flag qubits:



# Simulate big quantum circuits with small quantum computers

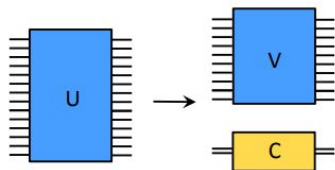


Fig. 1. A compiled quantum circuit  $U$  is decomposed into a smaller quantum circuit  $V$  and some classical computation  $C$ .

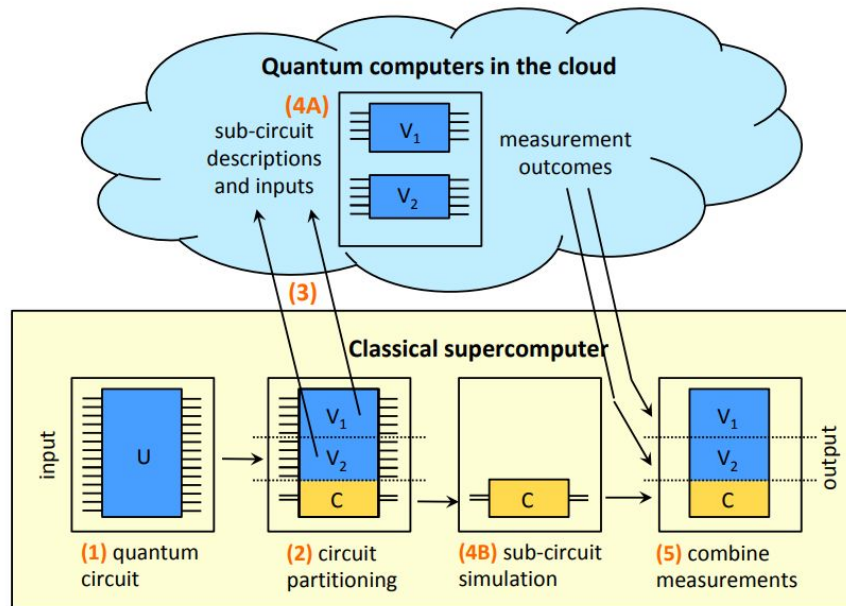


Fig. 2. The quantum circuit  $U$  is decomposed into a classical circuit  $C$  and quantum circuits  $V_1 \dots V_n$ . The quantum circuits are evaluated on quantum computers in the cloud and the classical circuit on a classical supercomputer.

“Hybrid Quantum-Classical Computing Architectures,” Martin Suchara, Yuri Alexeev, Frederic Chong, Hal Finkel, Henry Hoffmann, Jeffrey Larson, James Osborn, and Graeme Smith

# Quantum compilation

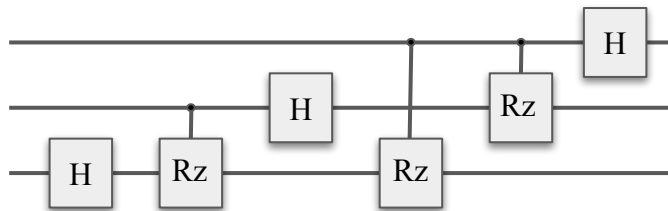
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## Quantum program

```
def qft(circ, q, n):  
    """n-qubit QFT on q in circ."""  
    for j in range(n):  
        for k in range(j):  
            circ.cu1(math.pi/float(2**(j-k)), q[j], q[k])  
        circ.h(q[j])
```



## Quantum circuit

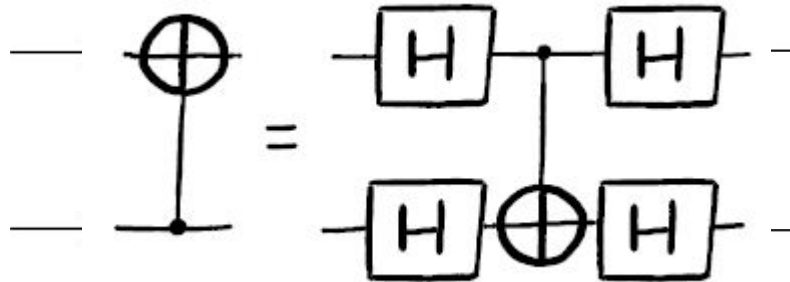


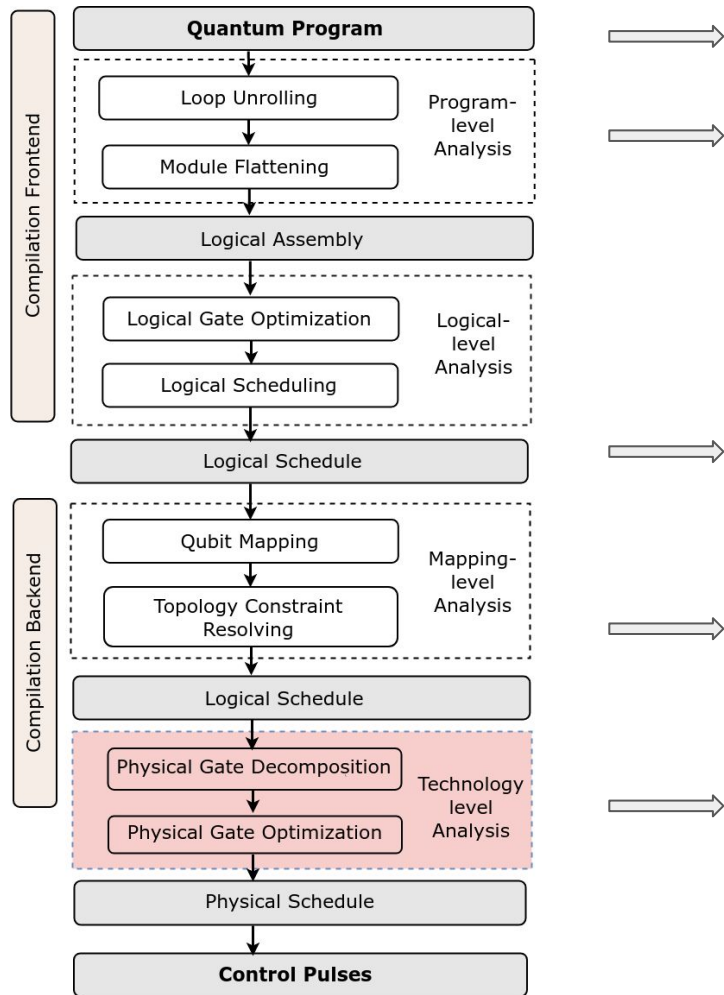
Compiled!

# Quantum gate synthesis

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Example:





Reversible logic synthesis

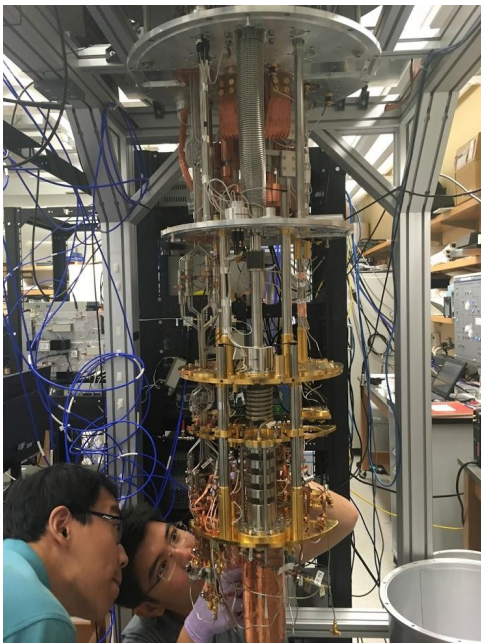
Quantum circuit synthesis

Layered approach to  
Parallelism and commutativity  
quantum compilation

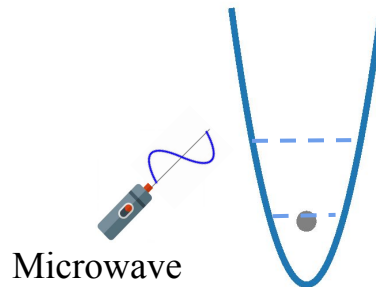
Mapping

From logical gate to physical gate

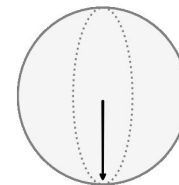
# Quantum Control



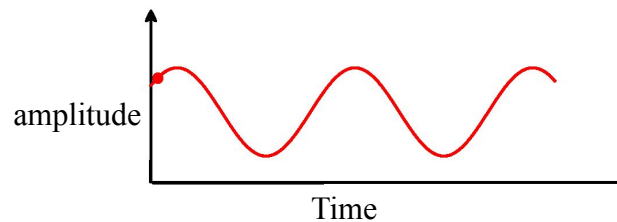
Cavity



Bloch sphere



Control pulse



Qubit state

$$|\psi\rangle = \begin{bmatrix} 0.00 \\ 1.00 \end{bmatrix}$$

# Quantum Control

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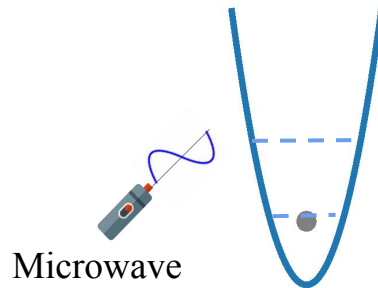
$$e^{iHt} = U$$

$$H = \omega \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$$



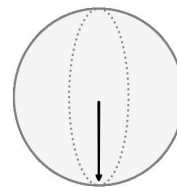
$$U = \begin{bmatrix} \cos \frac{\omega t}{2} & -i \sin \frac{\omega t}{2} \\ -i \sin \frac{\omega t}{2} & \cos \frac{\omega t}{2} \end{bmatrix}$$

Cavity

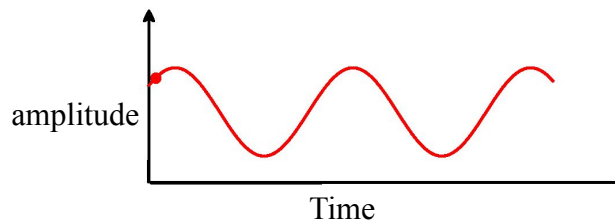


Microwave

Bloch sphere



Control pulse



Qubit state

$$|\psi\rangle = \begin{bmatrix} 0.00 \\ 1.00 \end{bmatrix}$$



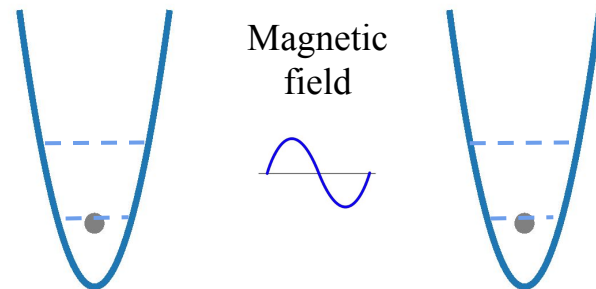
# Quantum Control

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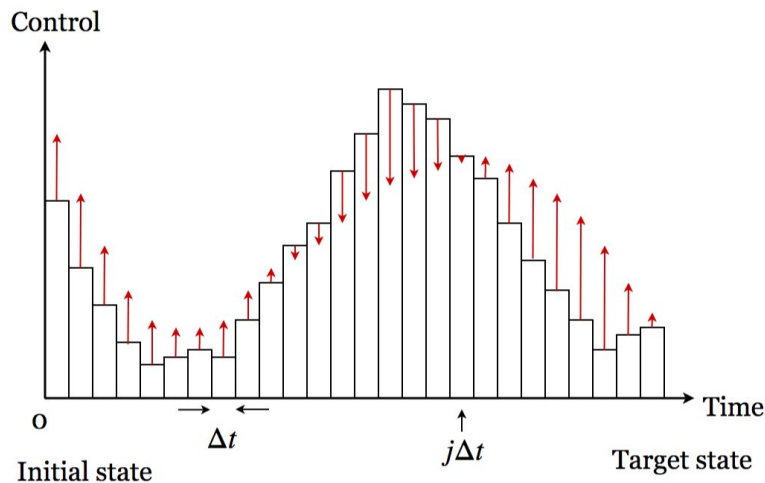
$$U = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos(Jt) & i \sin(Jt) & 0 \\ 0 & i \sin(Jt) & \cos(Jt) & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

$$t = \frac{\pi}{J}$$

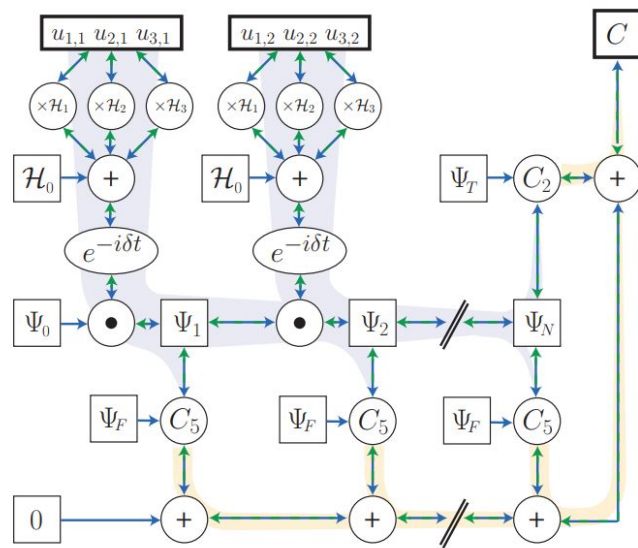
$$iSWAP = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & i & 0 \\ 0 & i & 0 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$



# GRAPE (GRadiant Ascent Pulse Engineering)



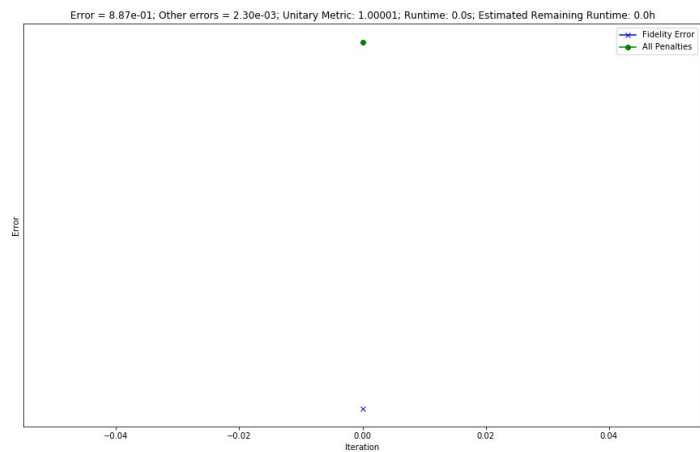
Pulse shape update



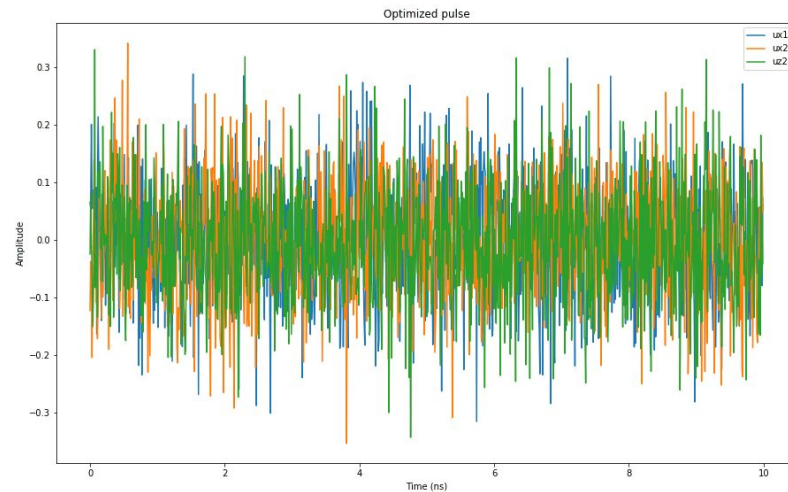
Computational graph

# GRAPE (GRadient Ascent Pulse Engineering)

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Convergence

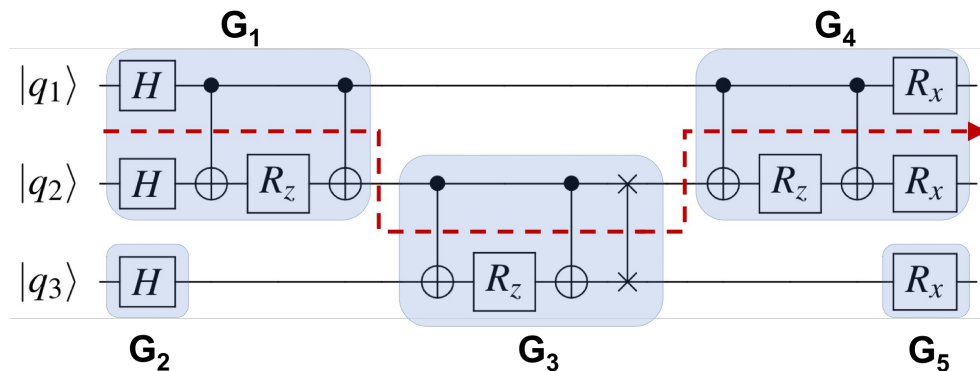


Pulse shape

# How to maximally utilize optimal control?

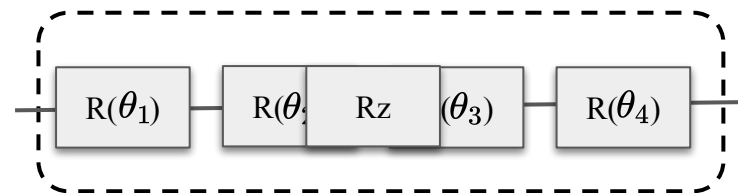
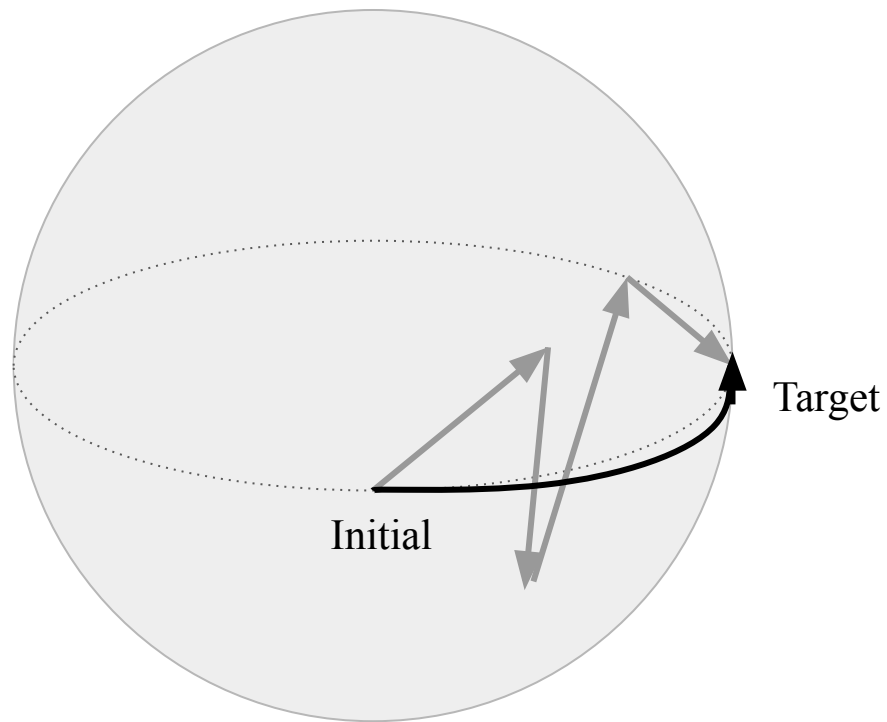
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Break the 1- and 2-qubit ISA abstraction

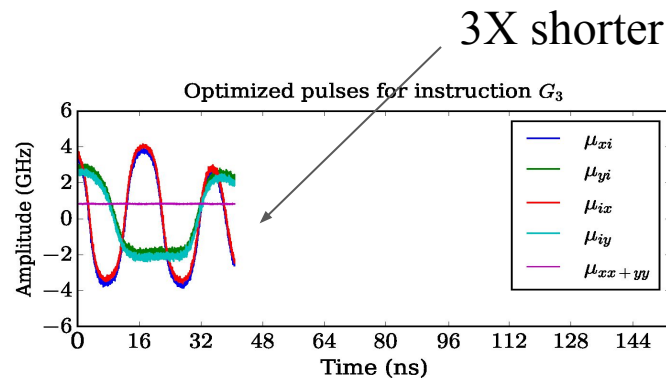
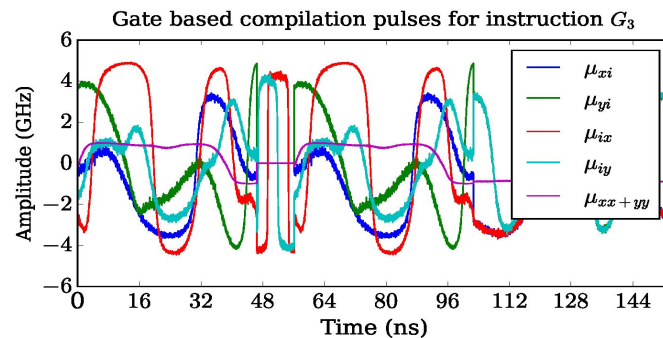
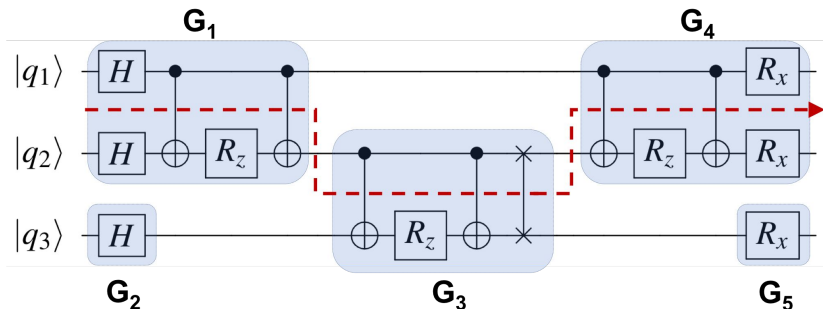
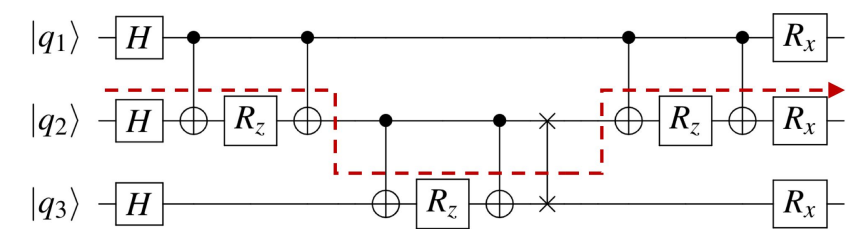


# Aggregated Instructions: an example

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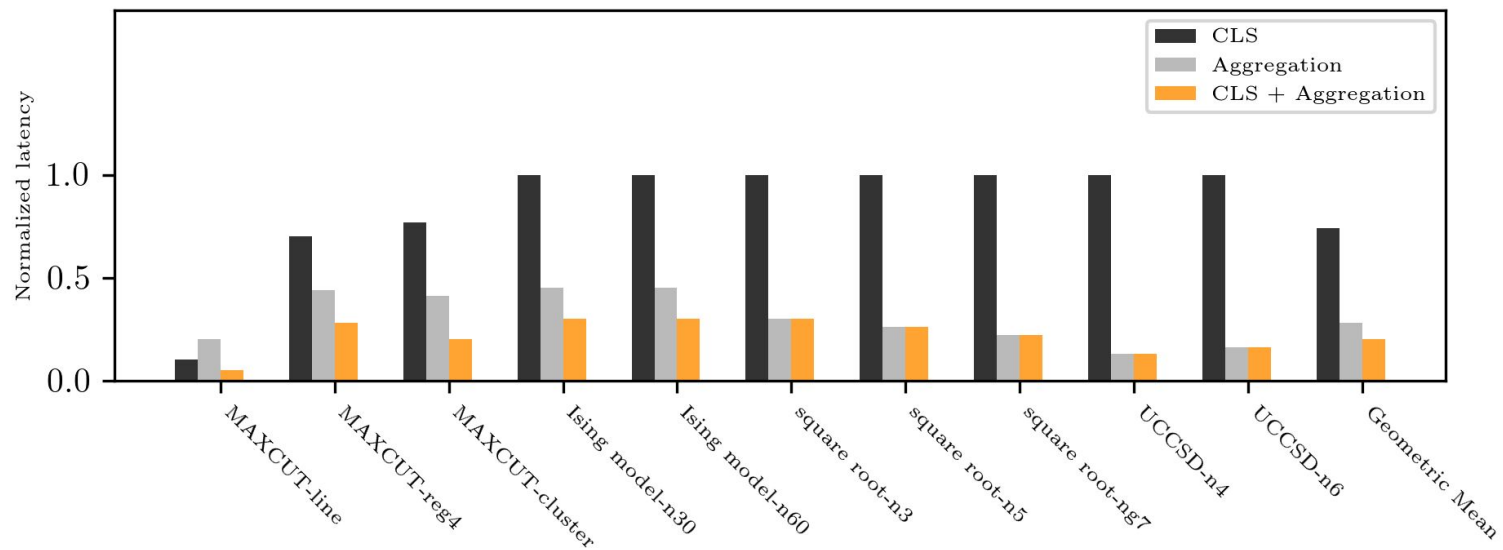


# Aggregated Instructions: QAOA



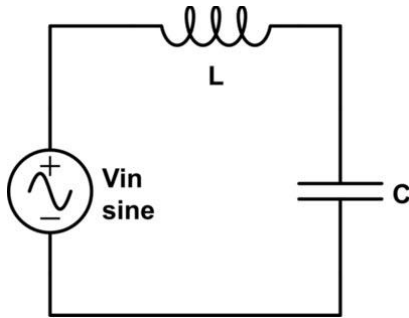
# Performance

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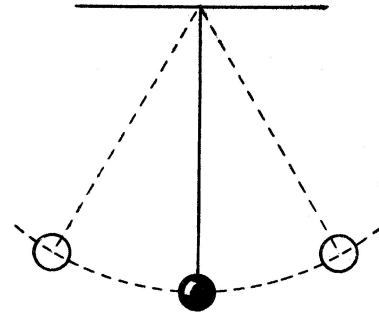


# Physical implementation: Transmon

LC circuit



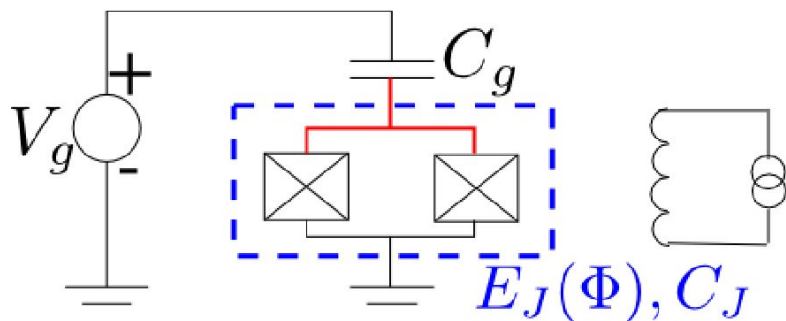
Pendulum



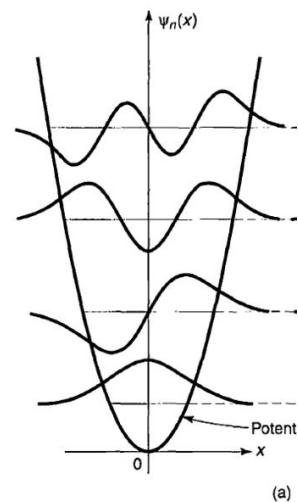


# Physical implementation: Transmon

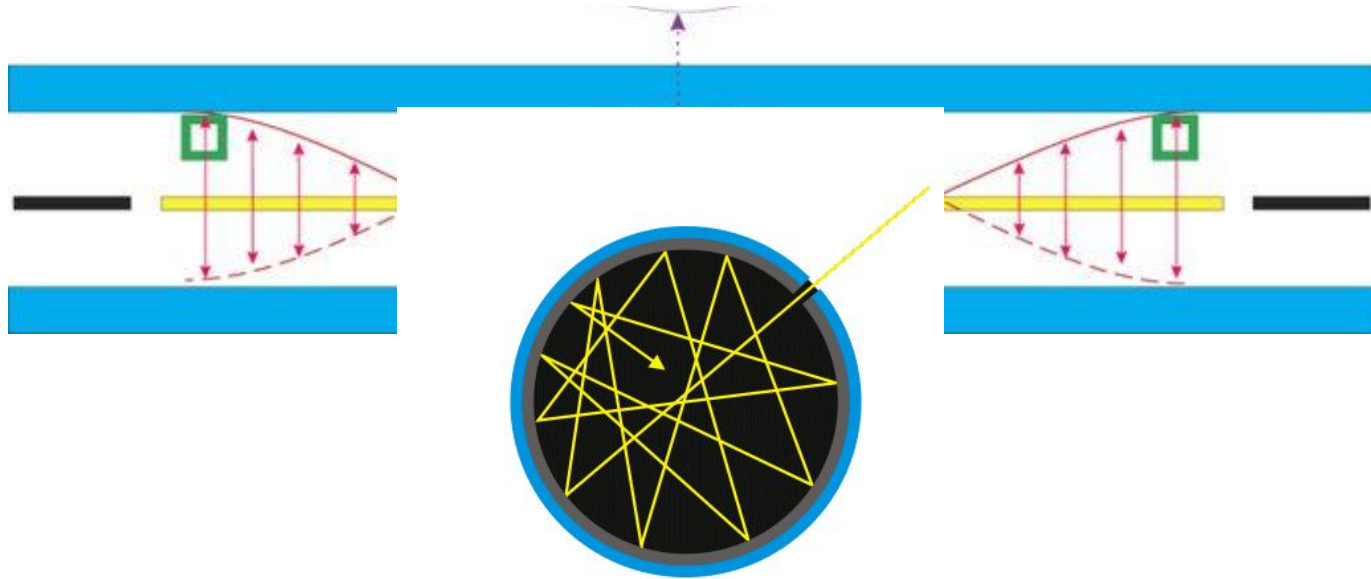
Transmon: quantized LC circuit



Quantized Pendulum



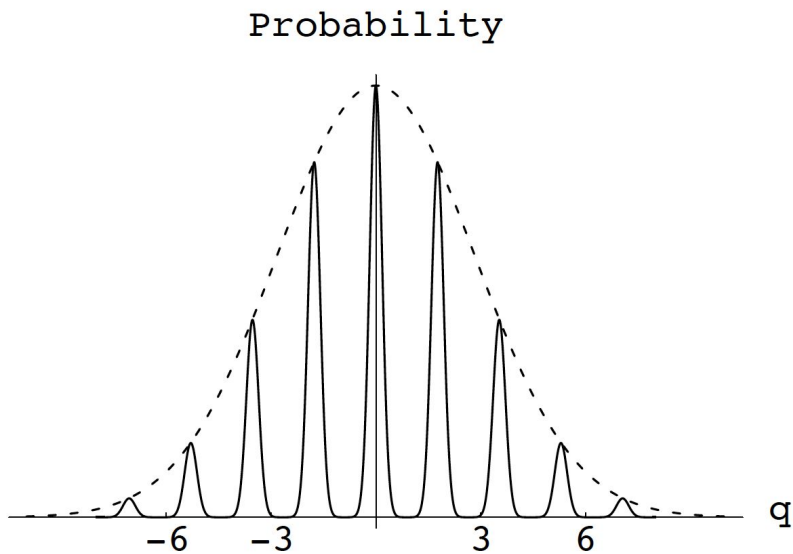
# Physical implementation: Transmon



# Encoding a qubit in a cavity

- Long qubit lifetime
- Enable smart encoding

# Gottesman-Kitaev-Preskill code





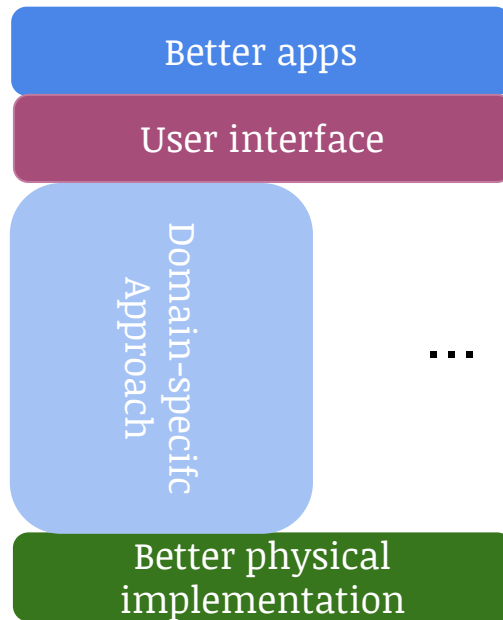
## Quantum computing now

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## Near-term goal

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Thank you!